Abstract

Let K be a compact subset of $\mathbf{C}$, and let c denote logarithmic capacity. We prove that $\big(c(L) = 0 \Rightarrow c(K + L) = 0\big)$ if and only if K is countable. As an application, we obtain a short proof of the scarcity theorem for countable analytic multifunctions.